



# Computers in Engineering

## COMP 208

Indefinite Loops

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# Implicit Implied DO – LOOP

```
REAL :: A(1000)
INTEGER :: I, SIZE
READ(*,*) SIZE
READ(*,*) A
```

- ✱ Reads values sequentially like a regular do loop
- ✱ It must fill the entire array, not just the first SIZE values



# Implied DO – LOOP

- ✱ In our ISBN example, we could input the digits as follows:

```
READ (*, *) (digits(I), I=1, 10)
```

- ✱ We could input all of the digits on one or more lines separated by blanks
- ✱ The first 10 digits would be read and stored in the digits array

# Implied DO – LOOP

```
REAL :: A(1000)
INTEGER :: I, SIZE
READ (*,*) SIZE
READ (*,*) (A(I), I=1,SIZE)
```

- ✱ Reads values sequentially from a line
- ✱ If there are not enough values on the line it starts a new line
- ✱ This is called an inline or implied DO loop

# Why Use an Implied DO Loop

- ★ Faster, Easier, and More Convenient
- ★ Allows for easier Access to Change Number of Loops

```
REAL :: A(1000)
INTEGER :: I, SIZE
READ (*, *) SIZE
READ (*, *) (A(I), I=1, SIZE)
```



# Compute Sum of Array Elements

```
REAL :: Data(100)
REAL :: Sum
. . .
Sum = 0.0
DO k = 1, 100
    Sum = Sum + Data(k)
END DO
```

# Inner Product of Vectors

- ✱ The inner product of two vectors is the sum of the products of corresponding elements.

```
REAL :: V1(50), V2(50)
REAL :: InnerProduct
INTEGER :: dim, n
READ(* ,*) dim           !actual dimension of vector
InnerProduct = 0.0
DO n = 1, dim
    InnerProduct = InnerProduct + V1(n)*V2(n)
END DO
```



# Find Maximum Value

- ✱ How do we find the largest value in an array?
- ✱ Imagine a deck of cards that we look through one at a time
- ✱ Keep track of the largest value
- ✱ Start with the one on the first card
- ✱ Keep looking and note whenever a larger value is found

# Find Maximum Value

```
PROGRAM FINDMAX
  IMPLICIT NONE
  INTEGER :: MARKS(210)
  INTEGER :: MAX, I
  READ (*, *) MARKS
  MAX = MARKS(1)
  DO I = 2, 210
    IF (MARKS(I) > MAX) MAX = MARKS(I)
  END DO
  WRITE (*, *) "THE HIGHEST MARK IS: ", MAX
END PROGRAM FINDMAX
```



# Indefinite Iterators

- ✱ For some applications, we do not know in advance how many times to repeat the computation
- ✱ The loop will need to continue until some condition is met and then terminate



# Indefinite Iterator

- ★ The iterator we can use has the form

```
DO
```

```
    statement block, s
```

```
END DO
```

- ★ The block, *s*, is evaluated repeatedly an indeterminate number of times



# A Repetitive Joke

- ✿ Why did the Computer Scientist die in the Shower?
- ✿ The instructions on the shampoo label said:
  1. Rinse
  2. Lather
  3. Repeat

# Infinite Loops

- ✱ A danger in using this construct is that the loop might never terminate.
- ✱ This loop computes the sum of a sequence of inputs

```
REAL :: x, Sum
Sum = 0.0
DO
    READ(*,*) x
    Sum = Sum + x
END DO
```



# Terminating a Loop

- ✱ The general DO loop will go on forever without terminating
- ✱ How do we get out of it?
- ✱ The **EXIT** statement causes execution to leave the loop and continue with the statement following the **END DO**

# Sum Positive Input Values

- ✱ Read real values and sum them. Stop when the input value becomes negative.

```
REAL :: x, Sum
Sum = 0.0
DO
  READ (*, *) x
  IF (x < 0) EXIT
  Sum = Sum + x
END DO
WRITE (*, *) "Sum is: ", Sum
```



# GCD

- ✱ The greatest common divisor of two integers is the largest number that divides both of them
- ✱ There are numerous applications that require computing GCD's
- ✱ For example, reducing rational numbers to their simplest form in seminumeric computations
- ✱ We present a very simple (slow) algorithm



# A GCD Algorithm

- ✿ The GCD is obviously less than or equal to either of the given numbers,  $x$  and  $y$
- ✿ We just have to work backwards and test every number less than  $x$  or  $y$  until we find one that divides both
- ✿ We stop when we find a common divisor or when we get to 1

# A Simple GCD Computation

```
PROGRAM gcd
  INTEGER :: x, y, g
  READ (*,*) x, y

  g = y
  DO
    IF (mod(x, g) == 0 .AND. mod(y, g) == 0) EXIT
    g = g - 1
  END DO

  WRITE (*,*) "GCD of ", x, " and ", y, " = ", g
END PROGRAM gcd
```



# Finding Square Roots

- ✱ Newton presented an algorithm for approximating the square root of a number in 1669
- ✱ The method starts with an initial guess at the root and keeps refining the guess
- ✱ It stops refining when the guess is close to the root, that is when it's square is close to the given number

# Finding the Square Root

```
! -----  
! Use Newton's method to find the square root of a positive number.  
! -----  
PROGRAM SquareRoot  
  IMPLICIT NONE  
  REAL :: A, R, NewR, Tolerance  
  
  READ(* ,*) A, Tolerance  
  
  R = A                                ! Initial approximation  
  DO  
    NewR = 0.5*(R + A/R)                ! compute a new approximation  
    IF (ABS(R*R - A) < Tolerance) EXIT ! If close to result, exit  
    R = NewR                             ! Use the new approximation  
  END DO  
  
  WRITE(* ,*) " The estimated square root is ", NewR  
  WRITE(* ,*) " The square root from SQRT() is ", SQRT(A)  
  WRITE(* ,*) " Absolute error = ", ABS(SQRT(A) - NewR)  
END PROGRAM SquareRoot
```

# Exp(x)

- ★ The exponential function can be expressed as an infinite sum:

$$1 + x + \frac{x^2}{2!} + \frac{x^3}{3!} + \dots + \frac{x^i}{i!} + \dots$$

- ★ A program to approximate the value can compute a finite portion of this sum
- ★ We can sum terms until the final term is very small, say less than 0.00001 (or any other tolerance we might choose)

# Compute Exp(x) (preamble)

```
! -----  
! Compute exp(x) for an input x using the infinite series of exp(x).  
! -----
```

```
PROGRAM Exponential  
  IMPLICIT NONE  
  
  INTEGER          :: Count          ! # of terms used  
  REAL             :: Term  
  REAL             :: Sum  
  REAL             :: X  
  REAL             :: Tolerance = 0.00001 ! Tolerance  
  
  READ(*,*) X
```

# Compute Exp(x) (main part of program)

```
Count = 1
Sum   = 1.0
Term  = x           ! the second term is x
DO
  IF (ABS(Term) < Tolerance) EXIT
  Sum   = Sum + Term
  Count = Count + 1
  Term  = Term * (X / Count)      ! compute the value of next term
END DO

WRITE(*,*) "After ", Count, " iterations:"
WRITE(*,*) "  Exp(", X, ") = ", Sum
WRITE(*,*) "  From EXP()   = ", EXP(X)
WRITE(*,*) "  Abs(Error)   = ", ABS(Sum - EXP(X))

END PROGRAM Exponential
```